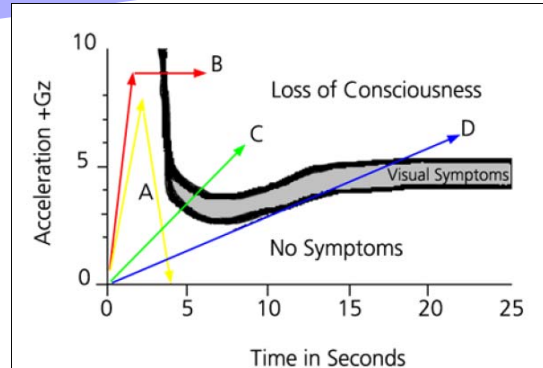


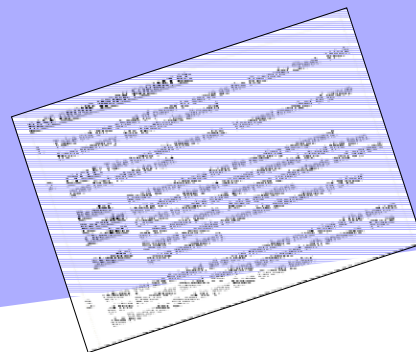
PHYS 210 - General Physics I

- Base Groups
- Uniform motion
- Derivatives
- Average and instantaneous acceleration
- Problem solving
- Motion at a constant acceleration

16 Sep 19



Base Group Meeting



- BGDG: Favorite recording artist/band?
- BGWS
- Group Processing
- RQ

Motion at constant velocity: Uniform Motion



- If speed and direction are CONSTANT
and since $\vec{v} = \frac{\Delta \vec{r}}{\Delta t}$

then (dropping the vector notation)

$$s_f = s_i + v_s \Delta t$$

(here, $\Delta r = s_f - s_i$)

ALSO: $x_f = x_i + v \Delta t$ or $x = x_o + v_x \Delta t$
or $y = y_o + v_y \Delta t$

EX:

- A car starts at origin of some reference frame at a constant velocity of 20 m/s, east . How far from origin will it have traveled after 10 minutes?

Instantaneous velocity (instantaneous speed)

In the limit that Δt goes to zero ...
we get the instantaneous velocity.

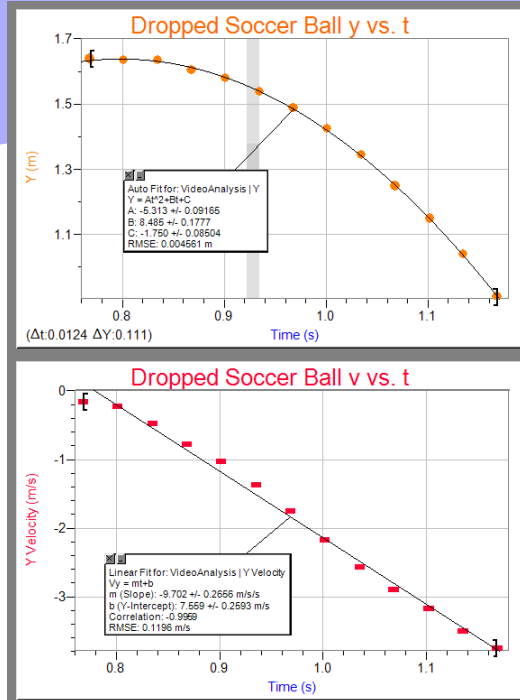
$$v = \lim_{\Delta t \rightarrow 0} \frac{\Delta x}{\Delta t}$$

Velocity (speed) is the derivative of x with respect to t .

Instantaneous velocity (instantaneous speed)

- How do we interpret the derivative?
- The **derivative** of a function with respect to some variable is equal to the **slope** of the function when plotted against that variable.
- So, for $v = \frac{dx}{dt}$, v is the slope on a graph of x vs. t .

From Lab



The derivative – in general

- The derivative of a function, F (of one variable, say, x) graphically represents the slope on a plot of $F(x)$ vs. x .
- Mathematically, it is defined as a limit.
- “Taking the derivative” of a function, from a practical standpoint, can be viewed as using an appropriate template or recipe.
- Example: polynomials

Derivatives – try some!

Use:
$$\begin{cases} \frac{d}{dx}(x^n) = nx^{n-1} \\ \frac{d}{dx}(C) = 0 \quad \forall \text{ constants } C \end{cases}$$

1. Find dF/dx if $F(x) = 2x^3 + 1$
2. Find dG/dt if $G(t) = 9t - 7t^4 + 55$
3. Find dH/dy if $H(y) = 6 + y^{-2} + 3y^8$

Have a great Monday!

